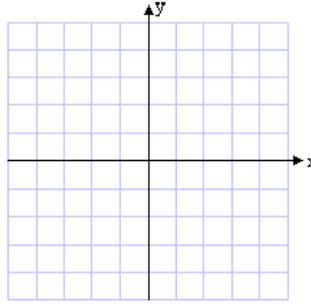
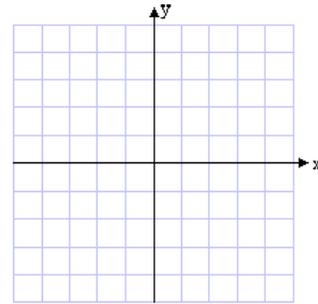


Example 2: Use transformation of the graph of $f(x) = 2^x$ to produce a graph of

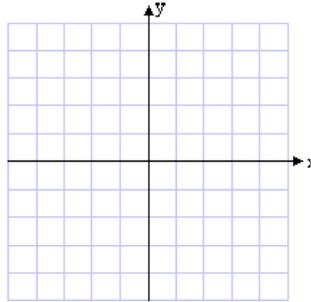
a) $g(x) = -2^{x-3} + 1$



b) $h(x) = \frac{1}{2} \cdot 2^{x+1} - 3$



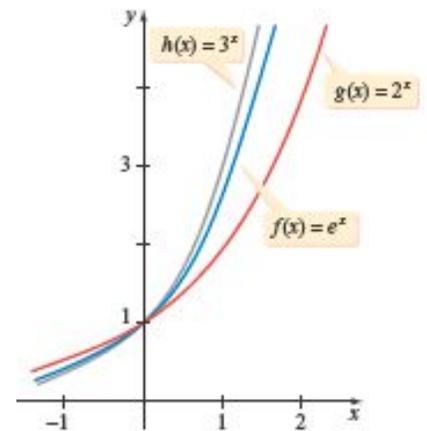
c) $p(x) = -2^{-x} + 2$



Exponential function is used in many applications that involve growth or decay. The most commonly used base is the irrational constant $e \approx 2.71828$.

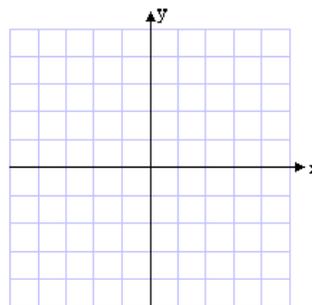
Definition: The number e is the limiting value of the expression $\left(1 + \frac{1}{n}\right)^n$, when $n \rightarrow \infty$.

Also, the number e is a base of an exponential function that produces the graph with the slope of the tangent line at $(0,1)$ equal to 1.

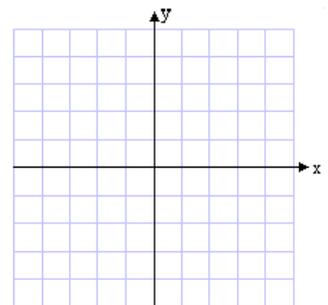


Example 3: Using a graphing calculator, graph the following functions and observe their properties, including their asymptotic behavior.

a) $f(x) = \frac{e^x + e^{-x}}{2}$



b) $g(x) = \frac{5}{1 + e^{-0.5x}}$



Example 4: Determine the domain of

a) $f(x) = \frac{1}{1-e^x}$

b) $f(x) = \sqrt{1 - e^{2x}}$

Example 5: The exponential function $A(t) = 200e^{-0.014t}$ gives the amount of medication, in milligrams, in a patient's bloodstream t minutes after the medication has been injected into the patient's bloodstream.

- a) Find the amount of medication, to the nearest milligram, in the patient's bloodstream after 45 minutes.
- b) Using a graphing calculator, determine how long it will take, to the nearest minute, for the amount of medication in the patient's bloodstream to reach 50 milligrams.

Example 6: The number of bass in a lake is given by $P(t) = \frac{3600}{1+7e^{-0.05t}}$, where t is the number of months that have passed since the lake was stocked with bass.

- a) How many bass were in the lake immediately after it was stocked?
- b) How many bass, to the nearest one, were in the lake 1 year after the lake was stocked?
- c) After how many months we should expect to have 2000 bass in the lake?
- d) What will happen to the bass population as t increases without bound?

